Analysis of a Five-Phase PM Vernier Machine Topology with Two-Slot Pitch Winding

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Abstract— This paper presents a five-phase permanent magnet (PM) vernier machine topology equipped with a two-slot pitch winding. The two-slot pitch winding provides a trade-off between fractional slots concentrated winding (FSCW) and integrated slot distributed winding (ISDW) PM vernier machines. First, the development and basic structure of the fivephase PM vernier machine with auxiliary teeth are depicted. Then, the PM vernier machine with proposed two-slot pitch fractional slot winding is explained. Finally, the five-phase PM vernier machines with conventional ISDW and FSCW configuration are analyzed and compared with the proposed PM vernier machines with two-slot pitch fractional slot winding. The benefits of introducing two-slot pitch windings are quantitatively analyzed and verified by finite-element analysis (FEA). This analysis confirms that a higher back EMF and torque density can be achieved in this topology while keeping a reasonable power factor.

Keywords— Five-phase, gear ratio, permanent magnet (PM) vernier machine, space harmonics, two-slot pitch winding

I. INTRODUCTION

Permanent magnet (PM) vernier machines have become promising candidates in low-speed high torque applications due to their high torque density and suitability for low speed operation [1] [2].

The PM vernier machine can be seen as a single airgap field-modulated machine, which was firstly studied in [1] [2], where the design and operational principle have been presented; and their higher torque density capability due to the field modulation or magnetic gearing effect has been explained. However, a general characteristic of poor power factor was also identified for these machines. An analysis of torque quality and capability was undertaken in [3]. In addition, extensive studies have been explored to the further increase torque density [4]-[6]. In [6], a novel PM vernier machine with unevenly distributed auxiliary teeth has been proposed which gives extra working harmonics to generate higher back EMF and consequently a higher output torque. Serval novel PM vernier machine topologies have been proposed to improve the power factor. A PM vernier machine topology with flux barrier in the spoke-array PM rotor is investigated in [7], which provides an extra flux route for the fundamental harmonic and consequently improves the output torque.

There have been several papers working on improving the power factor [7]-[9]. In [9], a double stator spoke-array PM

vernier machine was presented and a power factor of 0.85 can be achieved. Generally, the power factor could be improved to 0.8 or even 0.9 if a spoke-array rotor topology is used. This is attributing to their flux-concentrated effect improving back EMF and a thicker magnet thickness gives a lower reactance.

However, the extensive usage of rare earth magnets causes a significant challenge in terms of cost and manufacturing complexity for industry. Consequent-pole or spoke–array with ferrite magnet becomes popular in dealing with the cost issue [7] [10]. A comparable torque capability can be achieved but with the compromise of relatively poor power factor [10].

On the other hand, the winding configuration has a significant effect on the gear ratio of the PM vernier machine which in turn will impact the torque capability and power factor [11] [12]. In [11], the effects of the gear ratio and the winding pole pair numbers on the torque capacity and power factor have been studied, revealing the significant influence of gear ratio on the performance and optimal design parameters. A PM vernier machine comparison between fractional slots concentrated winding (FSCW) and integrated slot distributed winding (ISDW) was presented [12], which indicates that the ISDW configuration features a much higher torque density.

In this paper, a five-phase permanent magnet (PM) vernier machine topology equipped with two-slot pitch winding is proposed, which can be regarded as a compromise solution between the FSCW and ISDW PM vernier machine. The development and operational principle of PM vernier machine will be introduced before presenting the novel two-slot pitch fractional slot winding configuration. Several applicable combinations will be summarized. The performance comparison with conventional ISDW and FSCW configuration will be studied to demonstrate the superiority of the proposed PM vernier machine with two-slot pitch winding in terms of torque capability and power factor.

II. PM VERNIER MACHINE TOPOLOGY AND THEORETICAL ANALYSIS

A. Development of PM Vernier Machine with Evenly Distributed Auxiliary Teeth

A double airgap magnetically geared (MG) or fieldmodulated machine is shown in Fig. 1. The iron pole-piece ring and PM ring can be rotating or static. Depending on the different motion type, a double rotor or double stator FM machine can be obtained. For the double stator configuration, the inner stator can be either iron pole-piece ring or PM ring. If both the slotted stator and iron pole-piece ring are static, a PM vernier with auxiliary teeth is achieved when removing the outer airgap and combining the iron pole-piece with slotted stator. Therefore, a PM vernier machine can be recognized as a single-airgap field-modulated machine, where all the iron pole-pieces are combined with the slotted stator.



Fig. 1. (a) Five-phase double airgap field modulated PM machine (b) Five-phase PM vernier machine with auxiliary teeth.



Fig. 2. MMF of rotor PM.



Fig. 3. Airgap permeance due to auxiliary teeth $(n_a=2)$.

Table 1 CHARACTERISTICS OF OPEN-CIRCUIT MAGNETIC FIELD

Harmonic Orders	Rotating speed
n _r	Wr
<i>n</i> _f - <i>n</i> _r	$\frac{n_{\rm r} w_{\rm r}}{n_{\rm f} - n_{\rm r}}$
<i>n</i> _f - <i>n</i> _r	$\frac{n_{\rm r}w_{\rm r}}{n_{\rm f}+n_{\rm r}}$

Fig. 1(b) shows a 6-slot PM vernier machine with 12 auxiliary teeth. Similarly, the number of auxiliary teeth n_a connected to each stator main tooth can be three, four or five. Therefore, the total number of auxiliary teeth or field-modulated teeth n_f equals to n_a*Q , where Q is the number of primary slots for the winding. It should be noted that the number of PM rotor pole-pairs n_r and stator winding pole-pair number n_s has a set relationship. The following relation has to be met.

$$n_f = n_a * Q \tag{1}$$

$$n_s = n_f \pm n_r \tag{2}$$

The working principle of PM vernier machine is based on the field modulation effect, with the auxiliary teeth acting as the field modulator. According to the analysis in [1], a higher torque would be generated if the constraint of $n_{s=} n_f - n_r$ can be met. A simple MMF-Permeance model is used for illustrating the field modulation effect in the PM vernier machine.

The Magnetic Motive Force (MMF) generated by the PM rotor shown in Fig. 2, whose Fourier series can be written as

$$F(\theta, t) = \sum_{i=1}^{n} F_{PMi} \sin [n_r w_r t - (2i - 1)n_r \theta]$$
(3)

where F_{PMi} is the amplitude of *i*-th harmonic; θ is the mechanical angle; w_r is the mechanical speed.

For a regualr PM vernier machine with evenly distributed auxiliary teeth, the airgap permeance of field modulation teeth is evenly distributed, as in Fig. 3. Hence, the airgap permeance can be expressed as Fourie series.

$$P(\theta) = P_0 + \sum_{j=1}^{\infty} P_j \cos(jn_f \theta)$$
(4)

where P_0 is the average airgap permeance while P_j is the amplitude of *i*-th harmonic airgap permeance; θ_0 is the initial mechanical angle.

Therefore, due to the modulation of auxiliary teeth, a complex magnetic field with rich space harmonics is generated. By multiplying the airgap permeance and MMF generated by the PM rotor, the open-circuit magnetic field can be deduced.

$$B(\theta, t) = P_0 \sum_{i=1}^{\infty} F_{PMi} \sin[n_r w_r t - (2i - 1)n_r \theta]$$

+
$$\sum_{i=1}^{\infty} F_{PMi} \sin[n_r w_r t - (2i - 1)n_r \theta]$$

*
$$\sum_{j=1}^{\infty} P_j \cos(jn_f \theta)$$
(5)

When ignoring the higher order harmonics, the airgap magnetic field can be formulated as

$$B(\theta, t) = P_0 F_{PM1} \sin[n_r w_r t - n_r \theta] + \frac{1}{2} F_{PM1} P_1(\sin \alpha_1 + \sin \alpha_2)$$
(6)

where

$$\alpha_1 = n_r w_r t + (n_f - n_r)\theta$$
$$\alpha_2 = n_r w_r t - (n_f - n_r)\theta$$

It can be observered that three field harmonics of n_r , $n_f - n_r$ and $n_f + n_r$ are produced, and they are rotating in different directions. All the field harmonics have been summarized in Table 1.

B. Open-Circuit Back-EMF and Electromagnetic Torque

According to the winding function, the no-load flux linkage and winding function can be written as

$$\varphi_m = r_g L_{ef} \int_0^{2\pi} B(\theta, t) N(\theta) d\theta \tag{7}$$

$$N(\theta) = \sum_{\nu=1}^{\infty} \frac{2N_s k_{w\nu}}{\nu \pi} \cos(\nu \theta)$$
(8)

(9)

where $r_{\rm g}$ and $L_{\rm ef}$ is the airgap radius and effective axial length of the machine, respectively; $k_{\rm wv}$ is the winding factor of $v_{\rm th}$ harmonic, $N_{\rm s}$ is the number of series turns per phase.

By substituting (6) and (8) into (7), the instantaneous opencircuit flux linkage per-phase winding can therefore be formalized as

 $\varphi_m = \varphi_{m1} + \varphi_{m2}$

where

$$\varphi_{m1} = 2r_g L_{ef} N_s F_{PMi} P_0 \frac{k_{wn_r}}{n_r} \sin(n_r w_r t)$$
$$\varphi_{m2} = r_g L_{ef} N_s F_{PM1} P_1 \left(\frac{k_{w(n_f - n_r)}}{n_f - n_r} - \frac{k_{w(n_f + n_r)}}{n_f + n_r}\right) \sin(n_r w_r t)$$

Therefore, the instantaneous open-circuit back EMF induced in each phase can be expressed as

$$e(t) = r_g L_{ef} N_s w_r F_{PM1} \cos(n_r w_r t) \left(2k_{wn_r} P_0 + \frac{n_r}{n_s} k_{wn_s} P_1 - \frac{n_r}{n_f + n_r} k_{w(n_f + n_r)} P_1 \right)$$
(10).

Since the higher the harmonic order, the lower the amplitude, the high order harmonics EMF can be neglected. Hence, the back EMF is written as

$$e(t) = r_g L_{ef} N_s w_r \cos(n_r w_r t) \{ 2k_{wn_r} F_{PM1} P_0 + G_r k_{wn_s} F_{PM1} P_1 \}$$
(11)

where G_r is the gear ratio of the PM vernier machine.

$$G_r = \frac{n_r}{n_s} \tag{12}.$$

Thus, the electromagnetic torque can be expressed as

$$T = \frac{5}{2} r_g L_{ef} N_s w_r \{ 2k_{wn_r} F_{PM1} P_0 + G_r k_{wn_s} F_{PM1} P_1 \}$$
(13).

Compared with conventional PM synchronous machine, an additional component in both EMF and electromagnetic torque has been generated and their amplitude is proportional to the gear ratio. This is the inherent reason that the PM vernier machine has a higher toque than the conventional PM synchronous machine.

III. PROPOSED PMV MACHINE WITH FRACTIONAL SLOT TWO-SLOT PITCH WINDING

It has been derived from the previous section that the EMF and electromagnetic torque are proportional to the gear ratio and winding factor of each harmonic component. For a specific number of field-modulated teeth $n_{\rm f}$, the conventional ISDW PM vernier machine would have the highest gear ratio and consequently highest torque due to their lower winding pole numbers, while FSCW PM vernier machine is characterized by the lowest gear ratio and consequently lowest torque due to their higher winding pole numbers. The higher the gear ratio, the higher the output torque.

Fig. 4 shows the phasor diagram of conventional surfacemounted PM machine with a rotor pole-pair number of n_r under $I_d=0$ control method, where L_q and E_0 is the inductance and back EMF, respectively. If the influence of the stator resistance is neglected, the power factor can be expressed as (14). For a PM vernier machine with the same rotor, its inductance is n_r/n_s*L_q (G_rL_q) which can be derived from the winding function method, and its back EMF is $k_c E_0$, where k_c is the EMF amplification factor. The factor k_c is normally less than 2 and usually smaller than gear ratio G_r . This is mainly because of two reasons. First, the magnitude of space harmonics after field modulation is relatively low; second, the flux leakage between poles is significant due to the high rotor pole number and open slot structure. Therefore, the power factor of the PM vernier machine with a rotor pole-pair number of n_r can be expressed in (15). An extra factor of G_r/k_c , normally higher than 2, is added to an item in the denominator. It is obvious that the power factor has an inversely proportional relationship with gear ratio, which means the higher the gear ratio, the lower the power factor.

$$cos\varphi = \frac{E_0}{\sqrt{E_0^2 + (wL_qI_q)^2}} = \frac{1}{\sqrt{1 + (\frac{wL_qI_q}{E_0})^2}}$$
(14).
$$cos\varphi = \frac{1}{\sqrt{1 + (\frac{G_rwL_qI_q}{k_cE_0})^2}} = \frac{1}{\sqrt{1 + (\frac{G_rwL_qI_q}{E_0})^2}}$$
(15).

The PM vernier machine with ISDW configuration has a higher gear ratio and consequently higher output torque but with a lower power factor while the PM vernier machine with FSCW configuration is the on the contrary. Therefore, in this section, a five-phase PM vernier machine with fractional-slot two-slot pitch winding is proposed, which provides a trade-off between FSCW and ISDW configuration. Fig. 5 shows the five-phase PM vernier machine with a stator pole-pair number of 2. The two-slot pitch winding configuration is derived from the stator shifting concept and can be obtained by doubling the slot numbers of the conventional five-phase FSCW configuration [13] [14]. Several applicable slot-pole combinations for a balanced five-phase PM vernier machie with two-slot pitch fractional-slot winding can be summarized, as in Table 2 and Table 3.

Taking the proposed 10S-4P PM vernier machine in Fig. 5, which means Q=10, $n_f=20$, $n_r=18$, $n_s=2$, as an example, the open-circuit air-gap flux density is calculated and its FFT distribution is studied, as in Fig. 6 and Fig. 7. It is seen that the primary harmonics developed are the 2nd, 18th, and 38th, which is in accordance with the theoretical analysis.



Fig. 4. Phasor diagram (a) conventional PM machine with a rotor pole-pair number of n_r (b) PM vernier machine with a rotor pole-pair number of n_r

Table 2	APPLICABLE SLOT-POLE COMBINATIONS FOR FIVE-PHASE
	PM VERNIER MACHINE WITH $Q=10$
	0.10

	Q=10					
	$n_{\rm f}=20$			nf=30		
ns	n _r	$k_{ m w}$	GR	n _r	$k_{ m w}$	GR
2	18	0.904	9	28	0.904	14
3	17	0.939	5.7	27	0.939	9

Table 3 Applicable Slot-Pole Combinations for Five-Phase PM Vernier Machine with Q=20

	Q=20					
		$n_{\rm f}=40$ $n_{\rm f}=60$				
ns	nr	$k_{\rm w}$	GR	nr	kw	GR
4	36	0.904	9	56	0.904	14
6	34	0.939	5.7	54	0.939	9

Table 4 COMBINATION OF SLOT-POLE/WINDING

	Combinations	nf	ns	nr	k_w	GR
ISDW	10S-2P	20	1	19	0.95	19
Proposed two-	10S-4P	20	2	18	0.90	9
slot pitch	10S-6P	20	3	17	0.94	5.7
ESCW	10S-8P	20	4	16	0.95	4
F3C W	10S-12P	20	6	14	0.95	2.3



Fig. 5 Proposed 10S-4P Five-phase PM vernier machine with twoslot pitch winding ($n_f=20$, $n_r=18$, $n_s=2$, $y_s=2$)



Fig. 6 Flux density of 10/20/18/2 FEA model

Fig. 8 illustrates the variation of open-circuit back EMF versus the magnet thickness. It is seen that the EMF does not keep increasing when magnet thickness increases. The high magnet thickness may result in EMF reduction. This is different from the case of conventional PM synchronous machine. In fact, this phenomenon is reasonable, as the airgap permeance is inversely proportioanl to the magnet thickness, a higher magnet thickness may reduce the fundamental airgap permeance. A similar trend can be found in the electromagnetic torque, as in Fig. 9. An optimal magnet thickness of 2mm exists in terms of generating high back EMF and output torque.



Fig. 7 FFT distribution of flux density of 10/20/18/2 FEA model



Fig. 8 Open-circuit back EMF versus magnet thickness for 10/20/18/2 PM vernier machine



Fig. 9 Electromagnetic torque versus magnet thickness for10/20/18/2 PM vernier machine

IV. PERFORMANCE COMPARISON OF PM VERNIER MACHINES WITH DIFFERENT WINDING CONFIGURATIONS

In this section, the PM vernier machines with conventional ISDW and FSCW are analyzed and compared with the proposed PM vernier machines with two-slot pitch fractional slot winding, as illustrated in Fig. 10. Five PM vernier machine topologies will be studied, and their gear ratio features are summarized in Table 4. The design speficiations are summarized in Table 5.

To make a fair comparison, the slot numbers and main dimensions such as outer diameter and stack length are kept the same. The rotor diameter, pole ratio of auxiliary teeth, and magnet thickness are optimised under the same current density.

The open-circuit back EMFs of these five PM vernier machines are given in Fig. 11. It is seen that the amplitude of EMF is directly proportional to the gear ratio. The higher the gear ratio (the stronger the field modulation effect), the higher the back EMF. The 10S-2P ISDW PM vernier machine topology has the highest back EMF due to its highest gear ratio, while the conventional 10S-12P FSCW PM vernier machine has the lowest back EMF. However, the proposed PM vernier machine with two-slot pitch winding such as 10S-4P and 10S-6P have relatively higher EMF.



Fig. 10 Several PM vernier machines with different winding configurations (a) 10S-2P, $n_f=20$, $n_t=19$, $n_s=1$, $y_s=5$ (y_s is slot pitch); (b) proposed 10S-6P, $n_f=20$, $n_t=17$, $n_s=3$, $y_s=2$; (c) 10S-8P, $n_f=20$, $n_r=16$, $n_s=4$, $y_s=1$; (d) 10S-12P, $n_f=20$, $n_f=14$, $n_s=6$, $y_s=1$;

Table 5 DESIGN SPECIFICATION OF THE PM VERNIER MACHINES

Parameter	Data	Parameter	Data
Stator outer diameter (mm)	130	Stator core	DW315-50
Stack length (mm)	85	Rotor core	DW315-50
Airgap length (mm)	0.8	Magnet	N45SH
Rated speed (rpm)	600	Rated current density (A/mm ²)	5



Fig. 11 Back EMF waveforms of the five PM vernier machines



Fig. 12 Electromagnetic torque of the five PM vernier machines under rated current



Fig. 13 Average torque versus current for the five PM vernier machines

Fig. 12 shows the electromagnetic torque waveforms under rated current of 10A (rated current density of 5A/m²). A similar trend as EMF can be found. The higher the gear ratio, the higher the output torque. One can note that the conventional 10S-2P ISDW and the proposed 10S-4P PM vernier machine have almost the same average torque of 27 Nm, although the former has a much higher gear ratio and open-circuit EMF. The PM vernier machine with FSCW have lower torque while the proposed PM vernier machines have relatively higher torque. In addition, the average torque of these PM vernier machine versus the current are shown in Fig. 13. It can be observed that saturation level is related with gear ratio. The higher the gear ratio, the higher the saturation level. The ISDW PM vernier machine with highest gear ratio goes into deep saturation when the current increases, implying a

poor overload capability. The proposed PM vernier machines with two-slot pitch winding such as 10S-4P and 10S-6P have a medium saturation level while keeping a higher output torque.

The power factor variations with current are illustrated in Fig. 14. It can be found that the higher the gear ratio, the lower the power factor. The proposed PM vernier machines with two-slot pitch winding such as 10S-4P and 10S-6P have a medium power factor of about 0.46.

Table 6 summarized the performance comparison between the five combinations. In all, it can be concluded that the proposed PM vernier machines with two-slot pitch winding such as 10S-4P and 10S-6P are promising candidates in the PM vernier machine topologies. It has a relatively higher output torque while still keeping a slightly higher power factor. Therefore, the proposed PM vernier machines with two-slot pitch winding can be seen as a trade-off solution between conventional ISDW and FSCW PM vernier machines.



Fig. 14 Power factor of the five PM vernier machines

Table 6 Comp	arison of p	erforman	ice under	rated c	urrent

	Combinations	Average	Power
		torque (Nm)	factor
ISDW	10S-2P	25.9	0.25
Proposed two-	10S-4P	26.3	0.46
slot pitch	10S-6P	19.5	0.45
FSCW	10S-8P	17.5	0.64
	10S-12P	16.1	0.48
	10S-12P	16.1	0.

V. CONCLUSIONS

This paper proposed a five-phase PM vernier machine with two-slot pitch fractional slot winding. The operational principle and theoretical equations have been derived. The PM vernier machines performance comparison between proposed two-slot pitch winding and conventional ISDW and FSCW configuration demonstrated the superiority of the proposed PM vernier machine with two-slot pitch winding in terms of torque capability and power factor. This proves that the proposed PM vernier machines with two-slot pitch winding is a trade-off solution between ISDW and FSCW configuration PM vernier machine.

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